# **Python Cheatsheet**

Fabricio Macià and Pablo Angulo for ESTIN@UPM.ES

# python

#### Comments

Lines that start with  $\pmb{\#}$  are comments, and are not executed

```
a = 1
# a = 2
# => a is still 1
```

# **Base types**

bool booleans takes only two values: True and False.

int positive and negative *integers*, not bounded

float floating point numbers approximate any real number (e.g. -1.25e-6  $(-1.26 \cdot 10^{-6})$ )

 ${\tt str}$  A string is a sequence of characters. Always represented with quotes or double quotes (e.g. 'Hello, World', or "Hello, World")

### Variables

*Identifiers* start with a letter or \_, may contain numbers. **identifier = value** binds the value to the identifier

my\_number = 1 Binds identifier my\_number to the integer 1.

my\_number += 10 Equivalent to my\_number = my\_number + 10.

 $a{=}b{=}1~$  Binds both identifiers  $a~{\rm and}~b$  to the integer 1.

a,b = 1,2 Binds a to 1, and b to 2.

a,b = ["one", "two"]  $\mathit{unpacks}$  list ["one", "two"], binding a to "one", and b to "two"

#### Inmutable container types

Inmutable types can not be modified, but new objects can be built from the old ones.

str Can only hold characters (e.g. a = "Hello, World").

tuple May hold any data type (e.g. b = (12, True, "abc")).

### **Operations with containers**

len(container) Returns the number of elements in container.

 $\label{eq:container[start:end]} \begin{array}{l} {\rm Get \ a \ subsequence, \ or \ slice. \ start \ index \ is \ included, \ end \ index \ is \ excluded: \ (e.g. \ a[0:5] \Rightarrow "Hello"). \end{array}$ 

container1 + container2 concatenate compatible containers (e.g. a + "!"  $\Rightarrow$  "Hello, World!").

 $\texttt{container*number} \ \text{repeat container} \ (\text{e.g. "abc"*3} \Rightarrow \texttt{"abcabcabc"}).$ 

# Formatting strings

Old style formatting (I) Place one format code inside the string, follow the string by a % sign, then a variable. The variable will replace the format code.

nducks = 7
'...and %d ducks came'%nducks # => '...and 7 ducks came

**Old style formatting (II)** Place more than one format code inside the string, followed by a tuple with as many elements as format codes in the string

animal = 'duck'
weight = 3.1416
mystring = 'The %s weights %.3f kg'%(animal, weight)
# mystring : 'The duck weights 3.142 kg'

**New style formatting** An **f-string** may have references to any variables defined before.

animal = 'duck'
weight = 3.1416
mystring = f'The {animal} weights {weight:.4} kg'
# mystring : 'The duck weights 3.142 kg'

# Mutable container types

list May hold any data type (e.g. 1 = [12, True, "abc"]).

1[1:3]=[False, False] Updates a whole slice  $\Rightarrow$  1 is [12, False, False]).

1.append(1e3) Add an element at the end of the list  $\Rightarrow$  1 is [12, False, False, 1e3]).

dict Holds (key, value) pairs (e.g. d = {1:"one", 2:"two"}).

 $\label{eq:d_l1="uno"} d[1]="uno" Update an existing element d <math display="inline">\Rightarrow$  {1:"uno", 2:"two"}). d[4]="four" Adds a new (key,value) pair d  $\Rightarrow$  {1:"uno", 2:"two", 4:"four"}).

#### Conversions

 $1\ +\ 1.0\ {\rm sum}$  of int and float automatically promotes to float.

int(5.56) (=> 5) int( ) of a float truncates the decimal part.

round(5.56) (=> 6) round( ) of a float rounds to the nearest int.

np.round(5.56) (=> 6.0) while method round( ) from numpy rounds to the nearest integer, but the result is of type float.

int("14") returns the integer 14 (but int('5.56') throws an error!).

float("12.3") returns the float 12.3.

str(2.34) returns the string "2.34".

 ${\tt bool}(x)$  return False if x is None, the boolean False, the number 0, or an empty container.

#### Conditionals

Exactly one of the indented blocks of an "if/elif/else" statement will be executed (or maybe none of them if there is no "else" clause):

if some\_condition: do\_this() elif other\_condition: do\_that() else: do\_whatever() Combine conditions with and, or, and using parenthesis.

if (a>0) and (a+b<=1): do\_this() and\_this() # One equal sign = for assignment, two == for comparison, != for "not equal" elif (len(d)!=1) or (a=="Hello, Planet"): do\_that()

#### Loops

#### for loops

for loops repeat some statements while one variable runs over the elements of an iterable:

```
s = 0
# when the loop starts, s is 0
for x in [1,2,3,4]:
    s = s + x
# when the loop ends, s is 1+2+3+4 = 10
# the final value, 10, will be printed only once
print(s)
```

#### while $\mathbf{loops}$

 ${\tt while}\ {\tt loops}\ {\tt repeat}\ {\tt some}\ {\tt statements}\ {\tt while}\ {\tt a}\ {\tt certain}\ {\tt condition}\ {\tt is}\ {\tt satisfied}$ 

```
s = 0
# when the loop starts, s is 0
while s < 5:
    s = s + 1
# when the loop ends, s is 5
# the final value, 5, will be printed only once
print(s)</pre>
```

#### break out of a loop

The keyword break stops execution of a loop.

```
s = 0
for i in range(1, 100):
    s = s + i
    if s==3:
        break
# s is 0 + 1 + 2 + 3 = 6
```

#### List comprehensions

• Transform a list

```
>>> [x**2 for x in range(4)]
[0, 1, 4, 9]
```

```
• Filter a list
```

>>> [x for x in range(4) if x%2==1]
[1, 3]

• Both things at once

>>> [x\*\*2 for x in range(4) if x%2==1]
[1, 9]

#### **Functions**

In the **function definition**, the **body** of the function is indented. Statements in the function body are not executed when the function is defined.

```
def mysum(x,y):
    '''this text describes the purpose of the function
    It is called the docstring.'''
    s = x + y
    return s
```

In a **function call**, the body of the function is executed.

# the identifier z is bound to the integer 3
z = mysum(1,2)

#### Default values for optional arguments

If a function argument has a default value, it is optional:

```
def sum_of_powers(x, y, p=2):
    return x**p + y**p
>>> sum_of_powers(2, 2)
8
>>> sum_of_powers(2, 2, p=3)
16
```

# python libraries

#### import modules

• Import a module

import numpy
my\_array = numpy.zeros(10)

• Import a module using an alias

```
import numpy as np
x = np.pi/2
```

• Import specific functions from a module

```
>>> from numpy import sin, arcsin
>>> print( sin(arcsin(1)) )
1
```

#### Anonymous functions

The lambda keyword gives an alternative way to define functions:

```
filter_multiples_of_3 = lambda x: (x % 3 == 0)
```

Any function that can be defined with  $\tt lambda$  can also be defined with  $\tt def:$ 

```
def filter_multiples_of_3(x):
    return x % 4 == 0
```

#### numpy

numpy provides arrays, which are mutable data structures, but with fixed size. They are very efficient, and are designed for numerical computation. Many famous libraries are built on top of numpy.

import numpy as np

• Build an array from a list

>>> xs = np.array([1,10,100])

• Add a number to all elements of the array

>>> xs + 1 array([1,11,101])

- Apply a function to all elements of the array
   >> np.log10(xs)
   array([0,1,2])
- Add two arrays

>>> xs + np.log10(xs) array([1,11,102])

• Fill a one dimensional array with numbers from 0 to n (n is not plt.plot(xs, ys, 'g') # 'g' for green included)

>>> np.arange(3)
array([0, 1, 2])

• Fill a one dimensional array with n floating points equispaced from a to b (both a and b are included)

>>> np.linspace(1,2,5) array([1, 1.25, 1.5, 1.75, 2])

- $\bullet~$  Fill a one dimensional array with  $n~{\rm zeros}$ 
  - zs = np.zeros(n)
- Fill a two dimensional,  $n \times m$  array (a.k.a. a matrix) with zeros.
- A = np.zeros((3, 4))
- Fill a  $5 \times 5$  array with the value 7.
- B = 7\*np.ones((5,5))
- \* is the element-wise product of arrays, **@** is the matrix "dot product".

B = 7\*np.ones((5,5))
# 5x5 identity matrix
Id = np.eye(5)
# D is diagonal, with '7' in the diagonal
D = Id\*B
# E = B
E = Id@B

• reshape changes the dimensions of the array, as long as it keeps the same number of elements.

• Sum elements of a matrix along different axis

>>> M.sum(axis=0)
array([12, 15, 18, 21])
>>> M.sum(axis=1)
array([ 6, 22, 38])

• Keep only first row, second to last column

>>> M[0, 1:] array([ 1, 2, 3])

• An array of booleans can work as a slice

>>> v = np.arange(10,20)
>>> v[ v%2 == 1 ]
array([11, 13, 15, 17, 19])

#### matplotlib

matplotlib can build many types of graphics that represent quantitative information. The submodule pyplot makes it easy to use.

#### Line plot of a function

import matplotlib.pyplot as plt
def myfun(x):
 return np.sin(x\*\*2 + 1)

xmin, xmax = -3, 3 # plotting interval N = 100 # number of subdivions xs = np.linspace(xmin, xmax, N) ys = myfun(xs) plt.plot(xs, ys, 'g') # 'g' for green

#### Combine plots, with labels and titles

```
fun1 = np.exp
fun2 = lambda xs: np.exp(xs+1)
```

xmin, xmax = -1,8 N = 100 xs = np.linspace(xmin, xmax, N) ys1 = fun1(xs) plt.plot(xs, ys1, 'g', label='exp(x)')

ys2 = fun2(xs)
plt.plot(xs, ys2, 'b-', label='exp(x+1)')

plt.title('Plot of two functions')
plt.xlabel('x')
plt.legend()
plt.show()

